# THE COMPLETE GUIDE TO Monte <br> Carlo 

AN EMONEY WEBINAR

## WEBINAR HOSTS



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## WHAT TOUGH QUESTIONS

DO YOU HEAR FROM
YOUR CLIENTS?

## MONTE CARLO??



## 2 GOALS

1. Provide a Conceptual Understanding of Monte Carlo Methodology

- This will not be a highly technical analysis of the eMoney Monte Carlo Simulation
- It will stay fairly high level so that you can feel comfortable explaining it to your clients.

2. Show the value of using this methodology with your clients

- More nuanced analysis of a financial plans (not just yes/no answers)
- Clear demonstration of the value of a diversified portfolio
- The effects of sequence of returns and market volatility on a plan.


## MONTE CARLO - A SIMPLE DEFINITION

## Monte Carlo - adjective Mon'te Car-lo \, män-tē- 'kär-(.) )l̄̄\}

Monte Carlo - of, relating to, or involving the use of random sampling techniques and often the use of computer simulation to obtain approximate solutions to mathematical or physical problems especially in terms of a range of values each of which has a calculated probability of being the solution.

## IN OTHER WORDS...

Monte Carlo helps calculate probable outcomes to complex problems through simulation and random sampling.

## MONTE CARLO - A NOTE ON THE NAME

- The process was officially recognized as viable scientific method during the 1940s when it was used by physicists at Los Alamos Laboratory who were studying the movement of sub-atomic particles in their attempt to construct a nuclear weapon.
- Because they could not solve this problem mathematically, they used random sampling techniques to calculate the probability that the particles would move a certain way.
- Due to the secretive nature of this project, the researchers at Los Alamos used a code name to refer to the type of methodology - Monte Carlo


## MONTE CARLO AT WORK - A SIMPLE EXAMPLE

PROBLEM: I want to determine the probability that I will pull out the ace of spades from a deck of cards. How do I solve this problem?

1. MATHEMATICALLY $-1 / 52=1.92 \%$ chance, $O R$,
2. EMPIRICALLY (Monte Carlo methodology) - I could shuffle the cards, pull out one card, record the result, place the card back in the deck, shuffle the cards...and repeat.

If I did this enough times, I would eventually be able to approximate that I have a $1.92 \%$ chance of pulling the ace of spades. By re-creating the process multiple times and recording the results, I can approximate solutions to complex problems.

## A MORE RELEVANT (but still simple) EXAMPLE

Let's assume your client has the following.

- $\$ 100,000$ invested in a $100 \%$ equity portfolio
- 10 year time horizon
- $\$ 10,000$ withdrawals over the course of the next 10 years.


## SIMPLE QUESTION: Will the money last 10 years? <br> How do you answer this?

## THE LINEAR APPROACH

Using the linear approach, you might run some calculations and come with a projected annualized rate of return for all future years. It might look something like this.

| 2016 | 2017 | 2018 | 2019 | 2020 | 2021 | 2022 | 2023 | 2024 | 2025 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $5 \%$ | $5 \%$ | $5 \%$ | $5 \%$ | $5 \%$ | $5 \%$ | $5 \%$ | $5 \%$ | $5 \%$ | $5 \%$ |

How does this compare to the last 10 years?

| 2006 | 2007 | 2008 | 2009 | 2010 | 2011 | 2012 | 2013 | 2014 | 2015 | 2016 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $13.34 \%$ | $3.86 \%$ | $-39.02 \%$ | $25.47 \%$ | $13.87 \%$ | $-0.51 \%$ | $13.92 \%$ | $30.44 \%$ | $12.06 \%$ | $0.92 \%$ | ??? |

## SHORTCOMINGS OF LINEAR APPROACH:

Source: Russell 1000 Index

Simplistic, either the money lasts or it doesn't...

1. Doesn't factor in Market Volatility or, 2. Doesn't show importance of sequence of returns

## FACTOR IN CASH FLOWS

| YEAR | 2016 | 2017 | 2018 | 2019 | 2020 | 2021 | 2022 | 2023 | 2024 | 2025 | 2026 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| GROWTH | 0.05 | 0.05 | 0.05 | 0.05 | 0.05 | 0.05 | 0.05 | 0.05 | 0.05 | 0.05 | 0.05 |
| BALANCE | \$105,000.00 | \$ 99,750.00 | \$94,237.50 | \$88,449.38 | \$82,371.84 | \$75,990.44 | \$69,289.96 | \$62,254.46 | \$54,867.18 | \$47,110.54 | \$38,966.06 |
| WITHDRAWALS | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$ 10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 |
| EOY BALANCE | \$95,000.00 | \$89,750.00 | \$84,237.50 | \$ 78,449.38 | \$ 72,371.84 | \$65,990.44 | \$59,289.96 | \$52,254.46 | \$44,867.18 | \$37,110.54 | \$28,966.06 |

## Will the money last 10 years?

## Yes, it will...but is this a good plan for your client?

## THE MONTE CARLO APPROACH

We can introduce market volatility into our projections by running a few simple calculations.
Remember the Russell 1000 Index??

| 2006 | 2007 | 2008 | 2009 | 2010 | 2011 | 2012 | 2013 | 2014 | 2015 | 2016 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| $13.34 \%$ | $3.86 \%$ | $-39.02 \%$ | $25.47 \%$ | $13.87 \%$ | $-0.51 \%$ | $13.92 \%$ | $30.44 \%$ | $12.06 \%$ | $0.92 \%$ | $? ? ?$ |

Arithmetic Mean or Average

$$
A=\frac{1}{N} * \sum_{i=1}^{n} x_{i}=7.44 \% \quad \sigma=\sqrt{\frac{1}{N} \sum_{i=1}^{n}\left[\left(x_{i}-\mu\right)^{2}\right]}=19.05 \%
$$

## THE FAMOUS (or infamous) BELL CURVE

The probability that the Russell 1000 index will yield a certain return in a future year is shown below.


## HOW DOES THIS LOOK?

With the help of random number generation, we can project probable future returns.

Trial 1

| 2016 | 2017 | 2018 | 2019 | 2020 | 2021 | 2022 | 2023 | 2024 | 2025 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $-25.2 \%$ | $17.3 \%$ | $33.7 \%$ | $28.6 \%$ | $25.9 \%$ | $-2.7 \%$ | $6.8 \%$ | $32.4 \%$ | $-5.6 \%$ | $-2.2 \%$ |

Trial 2

| 2016 | 2017 | 2018 | 2019 | 2020 | 2021 | 2022 | 2023 | 2024 | 2025 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $-1.7 \%$ | $13.8 \%$ | $-9.7 \%$ | $18.2 \%$ | $-3.9 \%$ | $2.8 \%$ | $-27.4 \%$ | $14.9 \%$ | $-2.6 \%$ | $4.14 \%$ |

Trial 3

| 2016 | 2017 | 2018 | 2019 | 2020 | 2021 | 2022 | 2023 | 2024 | 2025 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $3.2 \%$ | $-14.6 \%$ | $-43.1 \%$ | $-7.1 \%$ | $-11.6 \%$ | $2.1 \%$ | $30.5 \%$ | $0.5 \%$ | $35.8 \%$ | $13.8 \%$ |

## FACTOR IN CASH FLOWS WITH MARKET VOLATILITY

Trial 1

| 2016 | 2017 | 2018 | 2019 | 2020 | 2021 | 2022 | 2023 | 2024 | 2025 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0.0020 | -0.0189 | 0.0882 | 0.2694 | 0.0023 | -0.3568 | -0.1435 | -0.1836 | 0.0078 | -0.0431 |
| \$100,196.10 | \$88,488.82 | \$85,411.12 | \$95,726.02 | \$85,923.03 | \$48,834.46 | \$33,261.84 | \$18,990.38 | \$ 9,060.74 | \$ (898.77) |
| \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 |
| \$90,196.10 | \$78,488.82 | \$75,411.12 | \$85,726.02 | \$75,923.03 | \$38,834.46 | \$23,261.84 | \$8,990.38 | \$ (939.26) | \$ (10,898.77) |

Trial 2

| 2016 | 2017 | 2018 | 2019 | 2020 | 2021 | 2022 | 2023 | 2024 | 2025 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0.1601 | 0.0671 | -0.0511 | 0.2989 | -0.0508 | 0.0682 | 0.2827 | 0.0966 | 0.3367 | -0.0084 |
| \$116,012.44 | \$113,121.38 | \$97,847.10 | \$114,105.78 | \$ 98,818.83 | \$94,876.44 | \$108,873.47 | \$108,426.20 | \$131,564.02 | \$120,539.26 |
| \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 | \$10,000.00 |
| \$106,012.44 | \$103,121.38 | \$87,847.10 | \$104,105.78 | \$88,818.83 | \$84,876.44 | \$98,873.47 | \$98,426.20 | \$121,564.02 | \$110,539.26 |

## WILL THE MONEY LAST 10 YEARS???

- Answer: Maybe.
- After running many trials, we have a probability distribution from which we can derive the likelihood that the money will last 10 years
- By analyzing the distribution of the trials we can say that there is about an $80 \%$ chance the money will last.



## THE VALUE OF A DIVERSIFIED PORTFOLIO

By switching from a 100\% equity portfolio, to a diversified income oriented portfolio (70\% bond/ 30\% equity) we limit both our upside and our downside potential.


## HOW DOES THIS HELP ANSWER TOUGH QUESTIONS?

## In financial planning, the answer is rarely yes or no.

## - What happens if the markets take a turn?

- "I've considered a range of all possible market returns in my analysis of your plan (including a repeat of 2008 and worse) and you have a $\qquad$ \% chance of meeting your goals.
- When can I retire?
- "If you retire in 5 years, you have a $\qquad$ \% chance of meeting your goals, but if you wait 2 years longer, you increase your chance to $\qquad$ \%."
- How much can I spend in retirement?
- "If you keep up your current spending levels, you only have a $\qquad$ \% chance, but if you spend $\$ 5,000$ less per year, you can increase that to $\qquad$ \%."

Q\&A

